## PROBLEM OF THE MONTH, MARCH 2017

Find a positive integer $n$ such that the first seven digits of $n^{2}$ are all equal to 7 .

Submit your solutions to professor Dan Ismailescu, Mathematics Department via email at dan.p.ismailescu@hofstra.edu, or bring it in person at 103C Roosevelt Hall.

## Solution - Problem of the Month, October 2016

Congratulations to Stephanie Nagel, Piotr Laskawiec, Leonard Arkhanhelskyi, and Kirnendra Sidhu for solving correctly the November Problem!

For a given positive integer $n$, we define the ghost of $n$ to be the positive integer obtained by listing the digits of $n$ twice. For example, the ghost of 2016 is 20162016. Similarly, the ghost of 891325 is 891325891325 . Find a positive integer $n$ with the property that its ghost is a perfect square.

A possible answer is $n=13223140496$. Indeed, for this choice of $n$ we have

$$
\operatorname{ghost}(n)=1322314049613223140496=(36363636364)^{2} .
$$

